

Intraday Liquidity Management: A Tale of Games Banks Play

Joint Banque de France / ECB conference on “Liquidity
in interdependent transfer system

Paris June 9-10, 2008

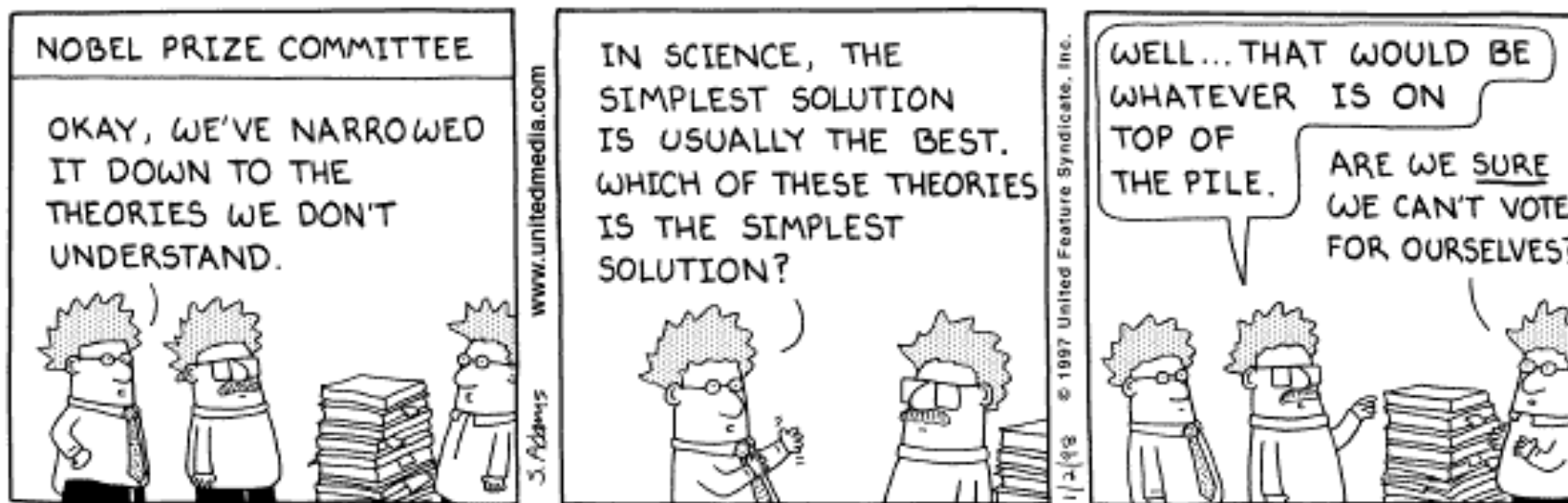


MORTEN L. BECH

The views expressed in the presentation are those of the author and are not necessarily reflective of views at the Federal Reserve Bank of New York or the Federal Reserve System. Any errors or omissions are the responsibility of the author.

Occam's Razor

- William of Occam (1284-1347) was an English philosopher and theologian.
- Aristotelian principle that entities must not be multiplied beyond what is necessary
- A problem should be stated in its basic and simplest terms. In science, the simplest theory that fits the facts of a problem is the one that should be selected.



Game Plan

- Introduce a simple 2x2 game
- Show how it can be used to analyze many of the phenomena that face interbank payment system operators, users and other stakeholders
- Choice of intraday credit regime: no, **free**, **collateralized** and **priced** credit.
- Liquidity Savings Mechanisms
- Comparative Analysis
- **Repeated interaction**
- Settlement Risk: **Liquidity** and credit risk
- **Incomplete** Information
- Heterogeneity
- Many banks
- Multitudes of periods (decision points)
- **Repo run** game

Forthcoming EPR volume

- **Global Trends in Large-Value Payments**
Morten L. Bech, Christine Preisig, and Kimmo Soramäki
- **An Economic Perspective on the Enforcement of Credit Arrangements: The Case of Daylight Overdrafts in Fedwire**
Antoine Martin and David C. Mills
- **Intraday Liquidity Management: A Tale of Games Banks Play**
Morten L. Bech
- **An Economic Analysis of Liquidity-Saving Mechanisms**
Antoine Martin and James McAndrews
- **The Timing and Funding of CHAPS Sterling Payments**
Christopher Becher, Marco Galbiati, and Merxe Tudela
- **Changes in the Timing Distribution of Fedwire Funds Transfers**
Olivier Armantier, Jeffrey Arnold, and James McAndrews
- **Understanding Risk Management in Emerging Retail Payments**
Michele Braun, James McAndrews, William Roberds, and Richard Sullivan

The Intraday Liquidity Management Game

- One day
- Two banks: A & B
- Two periods: Morning and Afternoon
- Each bank receives a \$1 payment request at dawn (no uncertainty or private information)
- Q: Send or delay?
- Start with zero balance on settlement account
- Intraday liquidity available from central bank
- Banks try to minimize their settlement costs
- Maintain customer satisfaction
- $F > 0$ is the fee for overdrafts at noon charged by the central bank
- $C > 0$ is the per period opportunity cost of collateral
- $D > 0$ is the cost of delaying a payment until the afternoon.

Free Intraday Credit

RTGS

Bank B

Bank A

	Morning	Afternoon
Morning	<u>0</u> , <u>0</u>	<u>0</u> , D
Afternoon	D, <u>0</u>	D, D

Collateralized Credit

RTGS

		Bank B	
		Morning	Afternoon
Bank A	Morning	C, C	2C, D
	Afternoon	D, 2C	C+D, C+D

$C < D$

$C > D$

Externality: Banks do not take into account the value of liquidity forwarded

		Bank B	
		Morning	Afternoon
Bank A	Morning	<u>2</u> , <u>2</u>	<u>4</u> , 3
	Afternoon	3, <u>4</u>	5, 5

Total cost = 4

		Bank B	
		Morning	Afternoon
Bank A	Morning	3, 3	6, <u>2</u>
	Afternoon	<u>2</u> , 6	<u>5</u> , <u>5</u>

Prisoner's Dilemma

Total cost = 10

Time is money (also intraday) so delay is costly. The cost is $D > 0$ per dollar

Priced Credit

Fee F charged by central bank for overdrafts

		Bank B	
		Morning	Afternoon
Bank A	Morning	0, 0	F, D
	Afternoon	D, F	D, D

$F < D$

Bank A

		Bank B	
		Morning	Afternoon
Bank A	Morning	<u>0</u> , <u>0</u>	<u>3</u> , 4
	Afternoon	4, <u>3</u>	4, 4

Total cost = 0 (FIRST BEST)

$F > D$

Bank A

		Bank B	
		Morning	Afternoon
Bank A	Morning	<u>0</u> , <u>0</u>	4, 3
	Afternoon	3, 4	<u>3</u> , <u>3</u>

Total cost = 0 or (6)

Stag Hunt

Rational players are pulled in one direction by considerations of mutual benefit and in the other by considerations of personal risk

Haysanyi & Selten Risk Dominance: (m,m) if $F < 2D$, Otherwise (a,a)

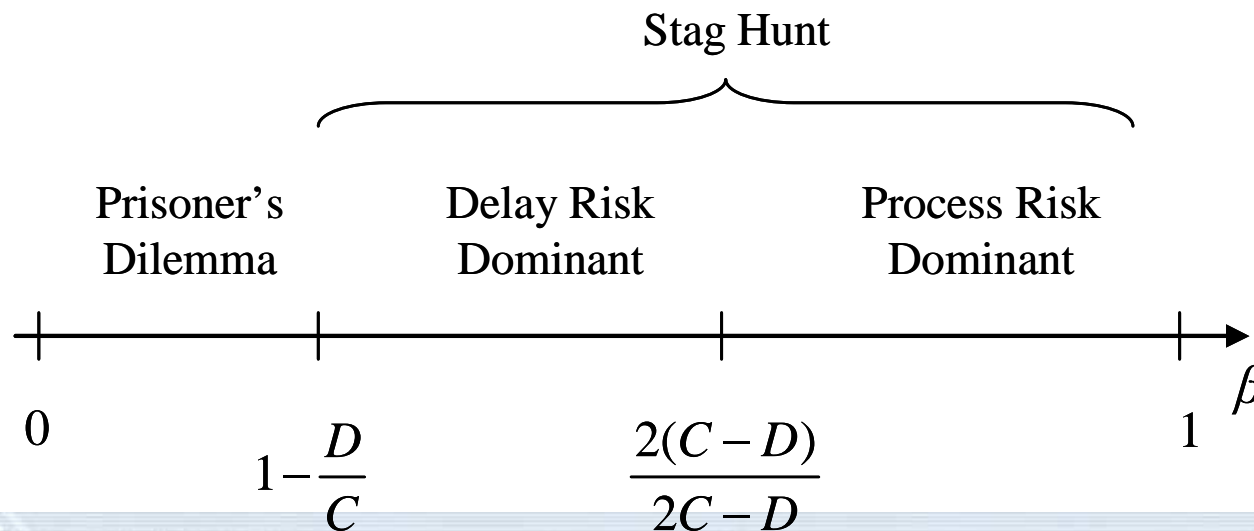
Repeated Play (Collateralized Credit)

- Infinite play
- Trigger strategy
 - Send early but if ...
- Discount the future
- Discount factor $0 < \beta < 1$

$$c^i(t, t) = C + \beta C + \beta^2 C + \beta^3 C + \dots = \frac{C}{1 - \beta}$$

- $C > D$

		Bank B	
		trigger	always delay
Bank A	trigger	$C/(1-\beta)$	$\frac{2C + \beta(C+D)}{(1-\beta)}$
	always delay	$\frac{D + \beta(C+D)}{(1-\beta)}$	$\frac{(C+D)}{(1-\beta)}$



Settlement Risk

- **Liquidity risk:** The risk that a counterparty will not settle for full value, when due, but at some unspecified time thereafter.
- **Credit risk:** The risk that a counterparty will not settle an obligation for full value, either when due or anytime hereafter

Liquidity Risk

Credit Risk see paper

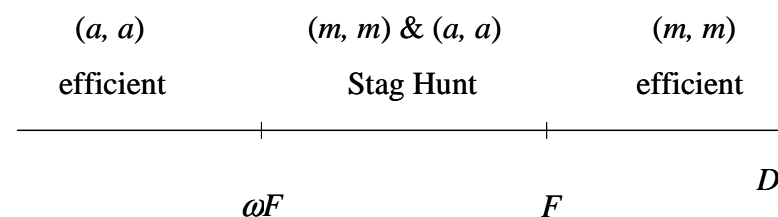
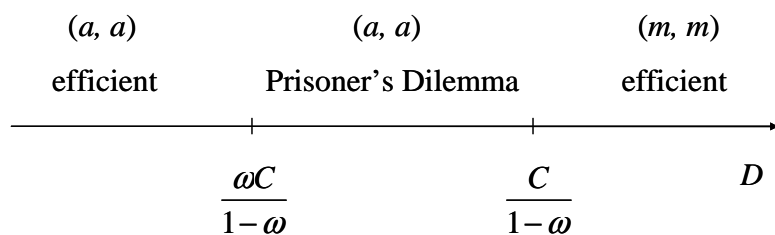
With ω outage in morning period

Bank B

		Morning	Afternoon
		Morning	$(1+\omega)C + \omega D$
Bank A	Afternoon	$\omega C + D$	$D + C$

Bank B

		Morning	Afternoon
		Morning	$(1+\omega^2)F + \omega D$
Bank A	Afternoon	D	D



Settlement risk makes (ceteris paribus) late settlement more likely.

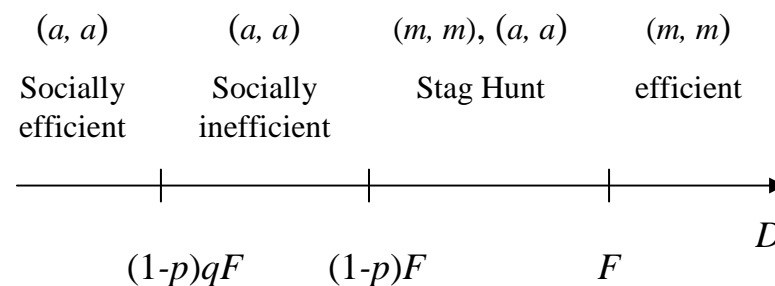
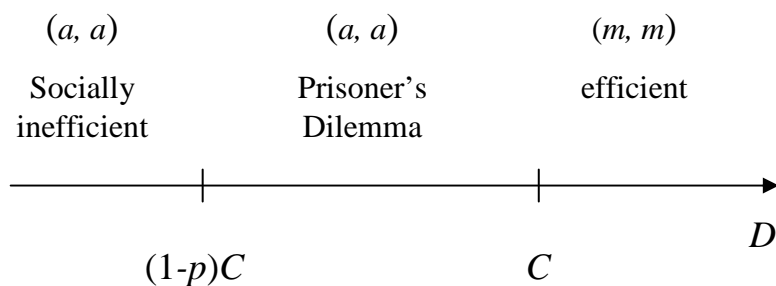
Late settlement may be efficient.

Incomplete Information

Instructions arrive at dawn (p – private info) and noon (q - uncertainty) → Bayesian Game

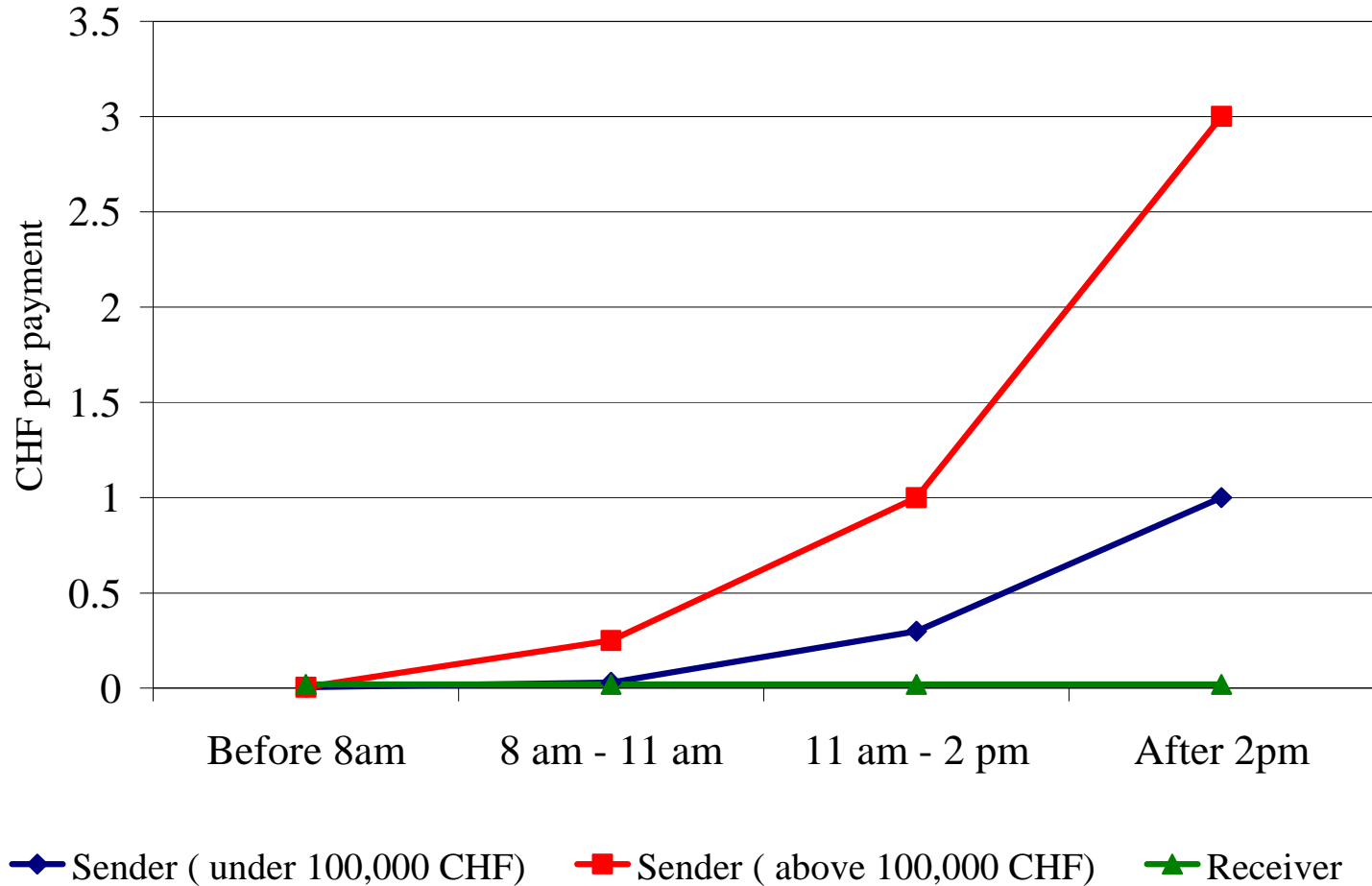
		Bank B	
		Morning	Afternoon
Bank A	Morning	$(2-p)C$	$2C$
	Afternoon	$D + \frac{(1-p)C}{C}$	$D + C$

		Bank B	
		Morning	Afternoon
Bank A	Morning	$(1-p)F + \frac{D}{D}$	F
	Afternoon	D	D



Incomplete information about payment flows increases (ceteris paribus) the likelihood of late settlement and in the priced credit case late settlement may be socially efficient.

The Swiss Price Schedule.



Source: <<http://www.sic.ch>>.

The Repo Run Game

- Two investors each with \$1 to lend
- One dealer; needs two finance \$2 of securities
- Dealer defaults with if she can only secure $< \$2$
- r = repo rate, α = recovery value & λ = margin
- Harsanyi and Selten's (1988) Risk dominance:
 - (Deal, Deal) if $r > -\alpha((1+\lambda) - 1)$

Investor 1

STAG HUNT

		Investor 1	
		Deal	No Deal
Investor 2	Deal	$\underline{r}, \underline{r}$	$(\alpha(1+\lambda)-1), 0$
	No Deal	$0, (\alpha(1+\lambda)-1)$	$\underline{0}, \underline{0}$

Heterogeneity

In 2006, FR eliminated of free intraday credit to GSEs for P&I payments.

Problem: P&I paid @ 8am. GSE covered their overdrafts just before close.

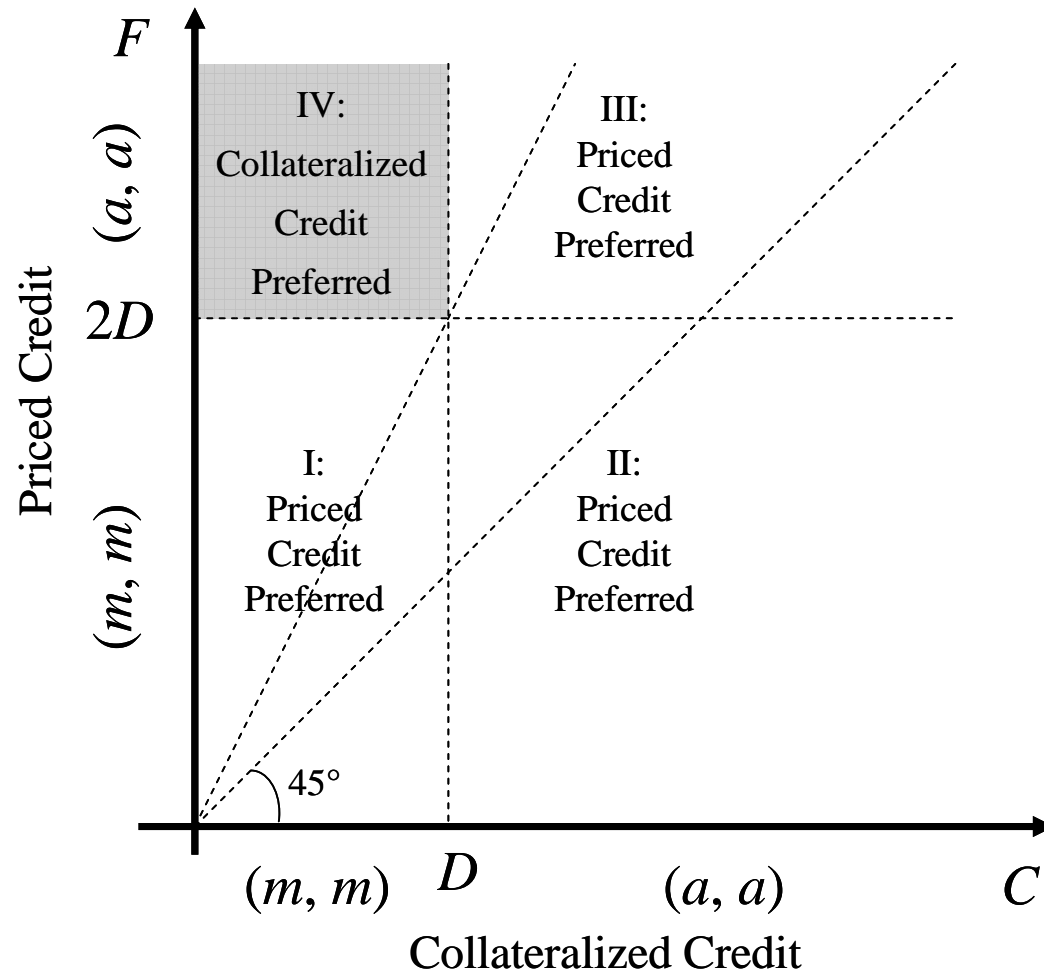
		Issuer	
		Morning	Afternoon
Bank	Morning	$\underline{\rho F}, \underline{0}$	$(1+\rho)F, H$
	Afternoon	$\underline{\rho F}, \underline{0}$	$\underline{\rho F}, H$

More Periods

		Bank B		
		M	A	E
Bank A	Morning	<u>0</u> <u>0</u>	F, D	2F, 2D
	Afternoon	F, D	<u>D</u> , <u>D</u>	F+D, 2D
	Evening	2D, 2F	2D, F+D	<u>2D</u> , <u>2D</u>

Focal points!

Comparative Analysis



A digression: No Intraday Credit

R: Opportunity cost of reserves

		Bank B	
		$R > D$	
Bank A	Morning	Morning	Afternoon
	Afternoon	<u>D</u> , <u>R</u>	D+R, D+R
	Morning	R, R	<u>R</u> , <u>D</u>